

Corrections to *Gödel Without (Too Many) Tears*

These are corrections for the currently available print-on-demand paperback and hardback version of *GWT*, and the currently downloadable PDF.

Distracting typos

p. 43. There are some numbering foul-ups in the displayed proof. With changes from (what it is now) line 6, it should read

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|-----|--|----------------------------------|
| 1. | $0 + 0 = 0$ | Instance of Q's Axiom 4 |
| 2. | $0 + a = a$ | Supposition |
| 3. | $S(0 + a) = Sa$ | From 2 by the identity laws |
| 4. | $0 + Sa = S(0 + a)$ | Instance of Q's Axiom 5 |
| 5. | $0 + Sa = Sa$ | From 3, 4 |
| 6. | $0 + a = a \rightarrow 0 + Sa = Sa$ | From 1, 5 by Conditional Proof |
| 7. | $\forall x(0 + x = x \rightarrow 0 + Sx = Sx)$ | From 6, since a was arbitrary. |
| 8. | $0 + 0 = 0 \wedge \forall x(0 + x = x \rightarrow 0 + Sx = Sx)$ | From 1, 7 |
| 9. | $\{0 + 0 = 0 \wedge \forall x(0 + x = x \rightarrow 0 + Sx = Sx)\} \rightarrow \forall x(0 + x = x)$ | Instance of Induction Schema |
| 10. | $\forall x(0 + x = x)$ | From 8, 9 by Modus Ponens |

p. 107 lines 3,4 and 5 up from bottom. Each occurrence of Prf on those lines should be overlined, $\overline{\text{Prf}}$, giving us:

Hence, because $\overline{\text{Prf}}$ captures $\overline{\text{Prf}}$, we have each of $T \vdash \neg\overline{\text{Prf}}(0, \bar{n})$, $T \vdash \neg\overline{\text{Prf}}(1, \bar{n})$, $T \vdash \neg\overline{\text{Prf}}(2, \bar{n})$, \dots , $T \vdash \neg\overline{\text{Prf}}(\bar{m}, \bar{n})$.

Therefore, we will also have (ii) $T \vdash (\forall v \leq \bar{m}) \neg\overline{\text{Prf}}(\bar{m}, \bar{n})$ – since Q and hence T ‘knows’ about bounded quantifiers (see §7.1).

Trivial typos

Page	Line	Is	Should be
13	5	needs to expressively rich	needs to be expressively rich
72	Defn 18 ii.	$\neg\varphi((\bar{m}, \bar{n}))$	$\neg\varphi(\bar{m}, \bar{n})$

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